



# Examining the Spatial Variability of Actual Evaporation under Clear Skies

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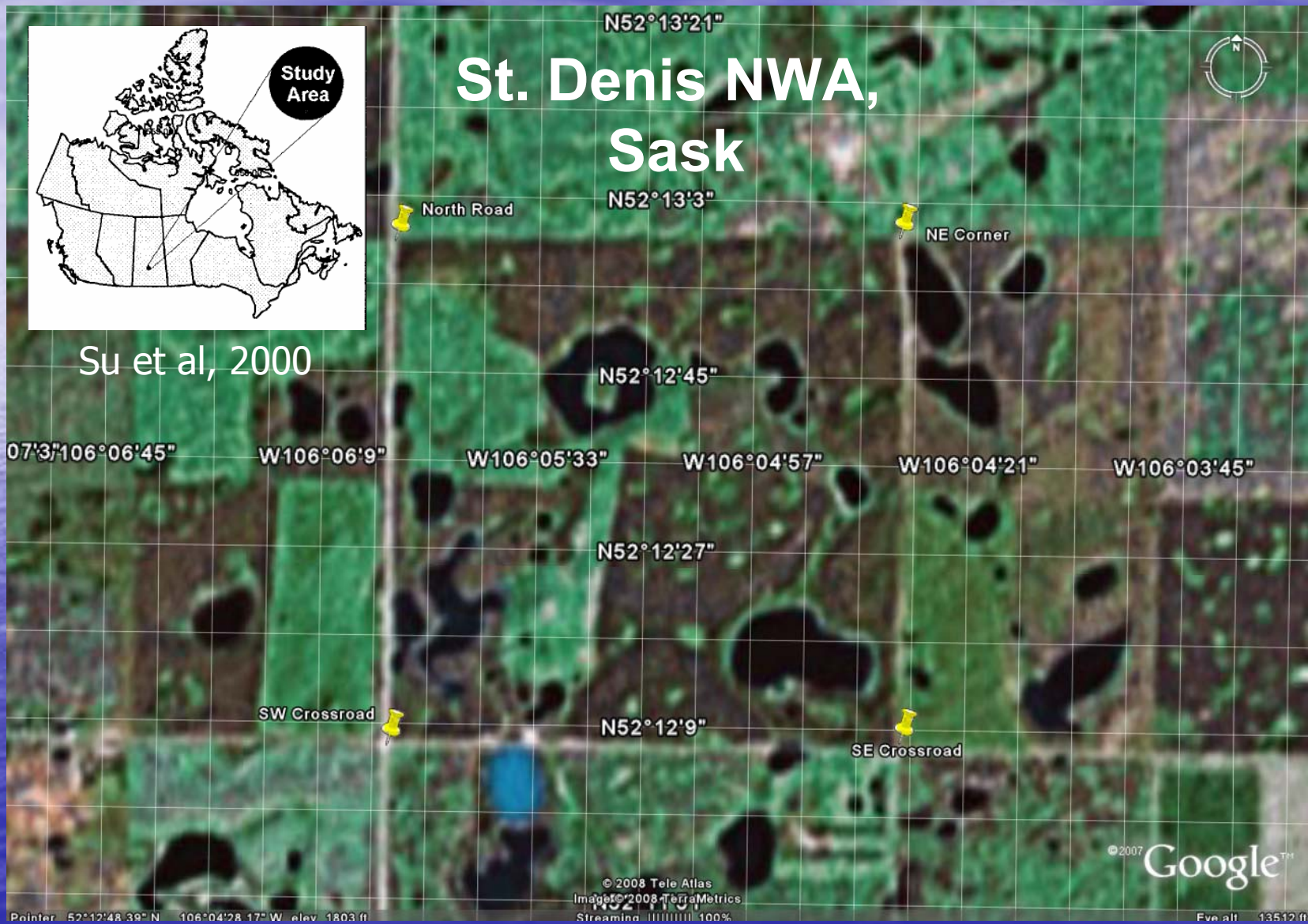
University of Saskatchewan, Saskatoon



# Spatial Variability Problem



Su et al, 2000



# Examining the Spatial Variability Problem “Evaporation Ratio”

- Ratio of instantaneous evaporation to an instantaneous reference evaporation;

$$E_R = E_i / E_{iref}$$

- Obtained by distributing evaporation estimates over space at midday
- Allows for sensitivity analysis of midday evaporation relative to derived analytical ratios

# Estimating Evaporation

- Granger – Gray (1989) method
  - Introduced relative evaporation,  $G$  (ratio of actual to potential); function of the relative drying power,  $D$
  - Obs. drive model;  $Q^*$  ( $S_{\downarrow}$ ,  $L_{\downarrow}$ , remote sensing),  $T$ ,  $RH$ ,  $u$ ,  $z_0$
  - Does not require soil moisture; offset by radiation balance

Estimates actual rate of evaporation  
from a non-saturated land surface

$$E = \frac{\Delta G \frac{(Q^* - Q_g)}{\lambda} + \gamma G E_A}{\Delta G + \gamma}$$

# $E_A$ "Drying power of the air"

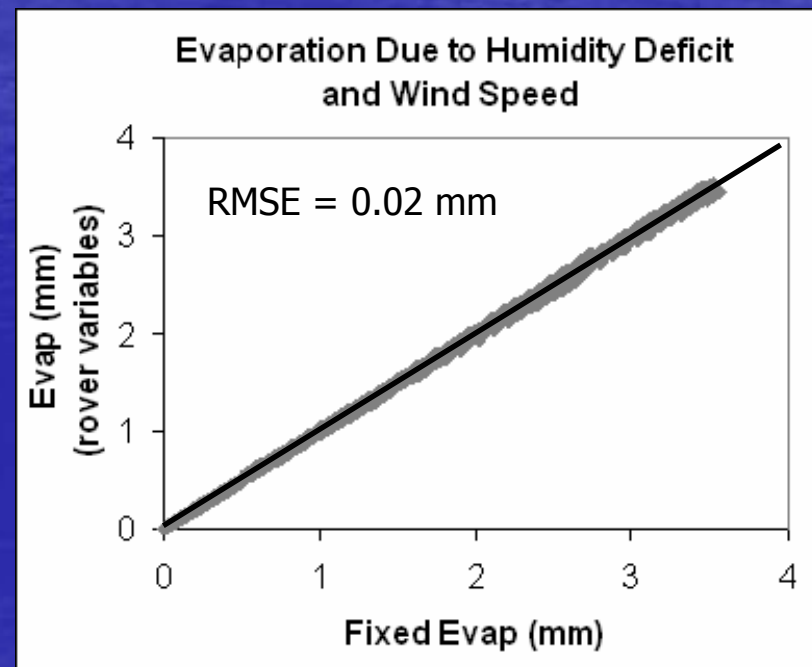
- Product of Wind function and Humidity Deficit

$$E_A = f(u)(e_a^* - e_a)$$

$$f(u) = 8.19 + (0.22 \times z_o) + (1.16 + 0.08 \times z_o) \times u$$

– function of surface roughness and daily wind speed

$$e_a^* = 0.611 \left( \frac{17.27 \times T_{\text{air}}}{T_{\text{air}} + 237.3} \right)$$



# Midday Analytical Ratios

- Ratio of instantaneous value to an instantaneous reference value

Albedo ratio;  $\alpha_R = \alpha_i / \alpha_{iref}$  (terrestrial image)

Longwave ratio;  $L_R = L_{\uparrow i} / L_{\uparrow iref}$  (thermal image)

Radiation ratio;  $R_R = f(\alpha_R, L_R)$

Roughness ratio;  $z_{oR} = z_{oi} / z_{oiref}$  (terrestrial image)

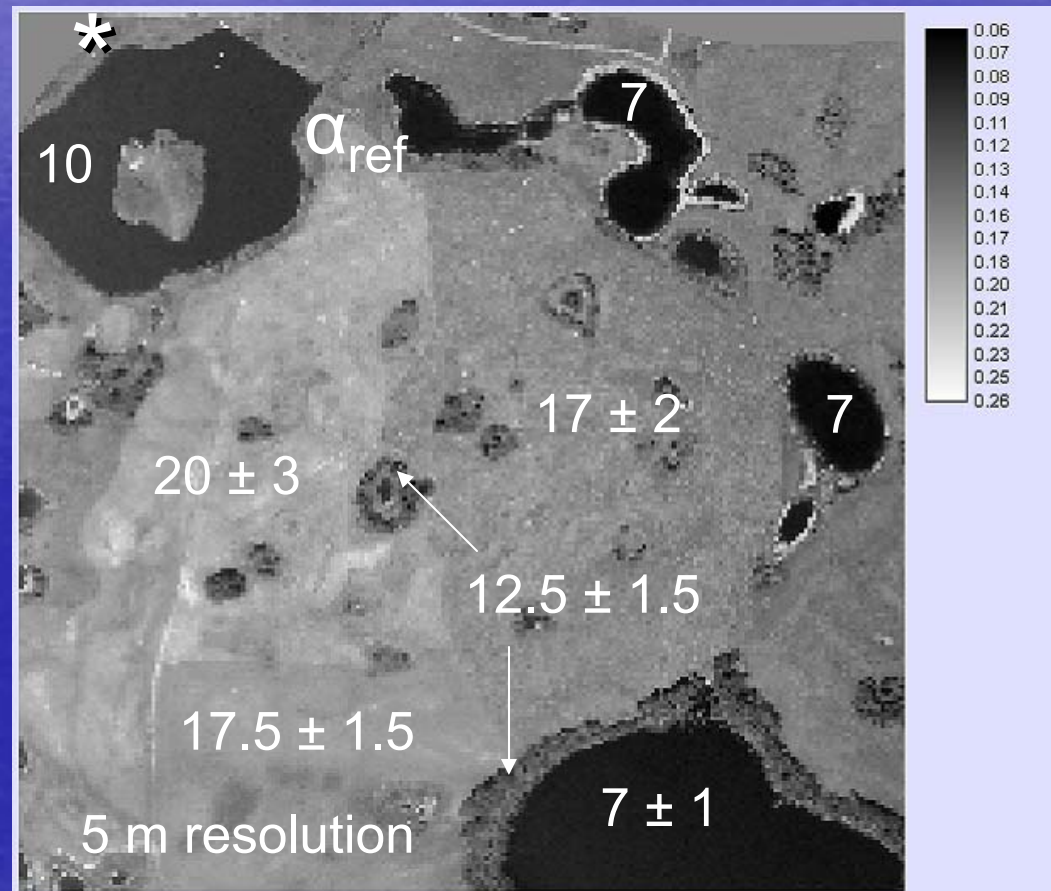
Evaporation ratio;  $E_R = f(R_R, z_{oR})$

# Spatial Variability of Albedo for $S_{\uparrow}$

- Simplified Corripio (2004); tested it for growing season

\* measured albedo ( $\approx 17\%$ );  $\alpha_{\text{pixel}}$  (16+ %);  $\Delta S_{\uparrow} \approx 8 \text{ W m}^{-2}$

$$\alpha_{\text{pixel}} = \alpha_{\text{ref}} \frac{DN_{\text{pixel}}}{DN_{\text{ref}}}$$



# Spatial Variability of $L_{\uparrow}$ from Thermal Image

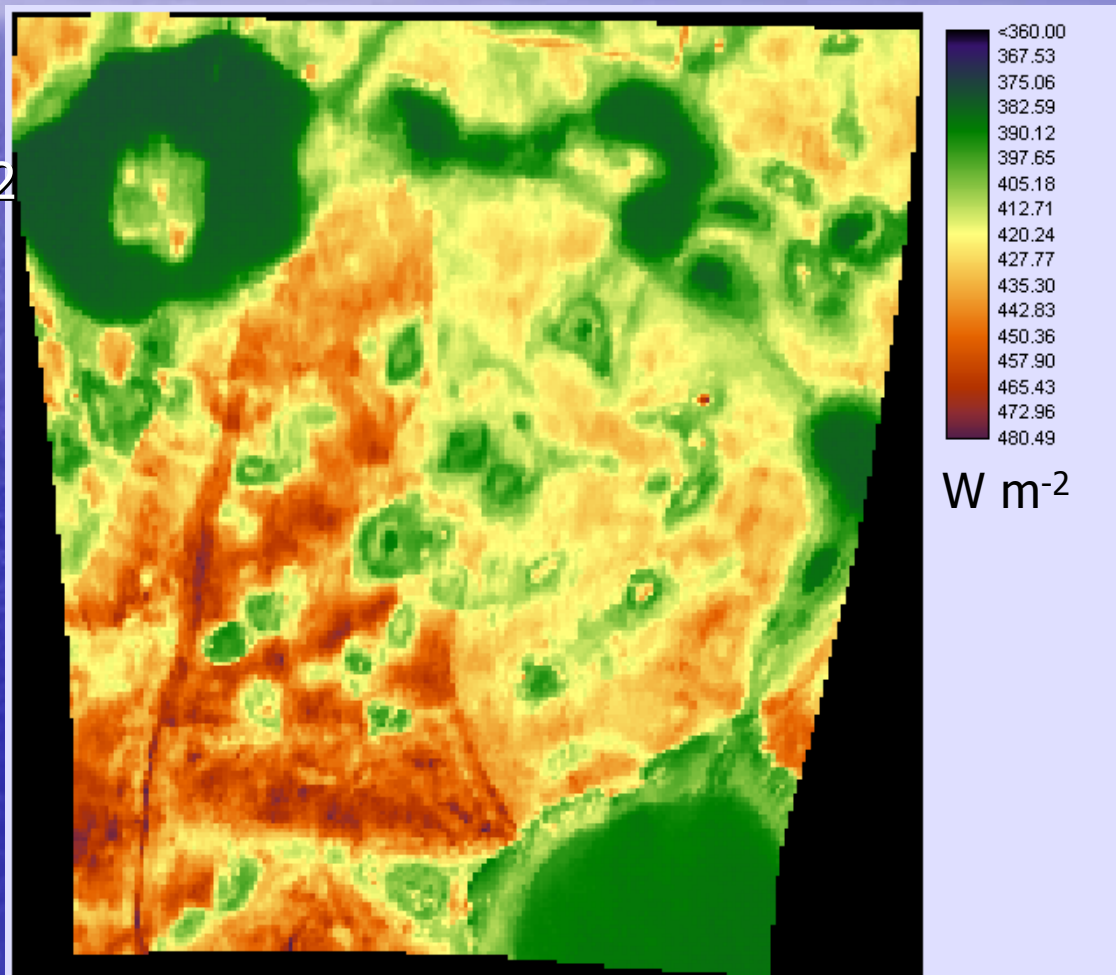
- Thermal image; FLIR Camera (7.5 - 13  $\mu\text{m}$ )

$$L_{\uparrow} = \varepsilon\sigma(T_s+273.15)^4 ; \varepsilon = 0.98 ; \sigma = 5.67 \times 10^{-8}$$

- -2  $^{\circ}\text{C}$  versus IRTC obs;  $\approx 11 \text{ W m}^{-2}$

Aug 5, 2007

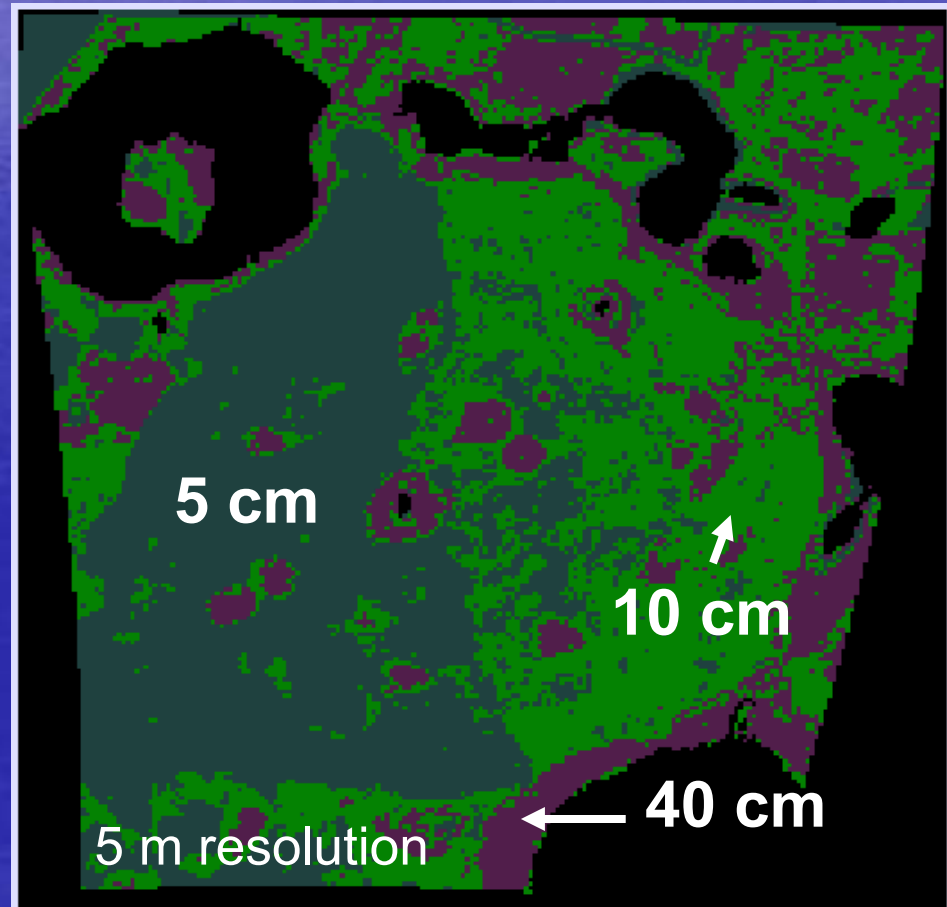
5 m resolution





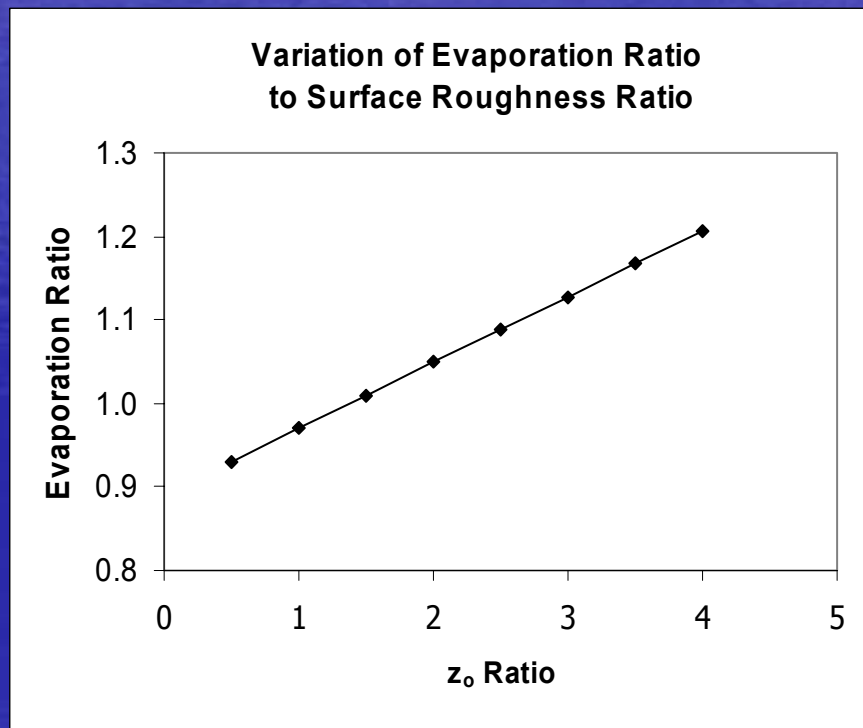
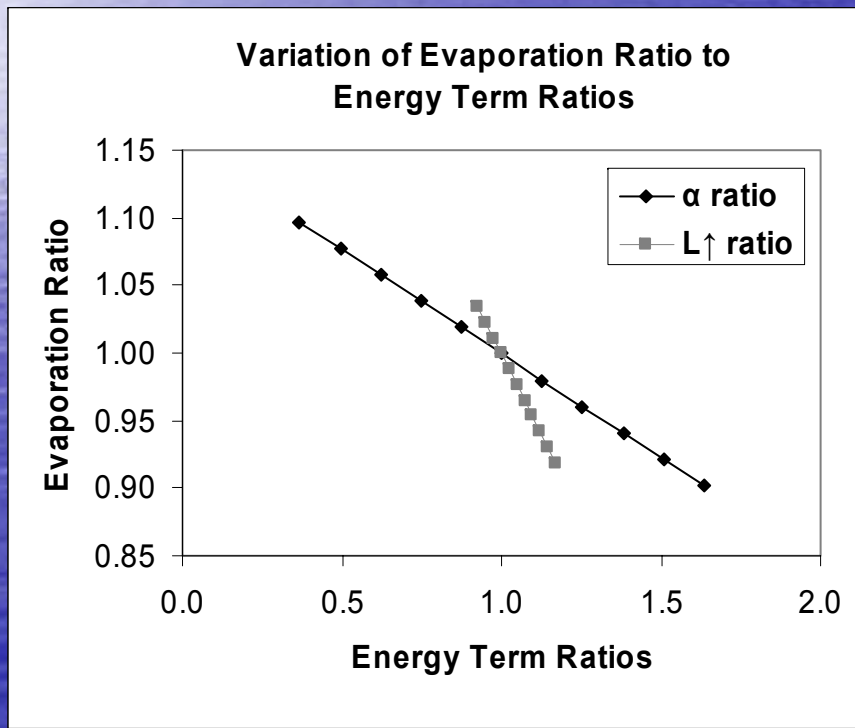
# Spatial Variability of Roughness Height

- $Z_0$  (cm) influences turbulent transfer
  - Segmented terrestrial image into several classes (Std. Dev. filter); reclassified into similar roughness - applied typical  $Z_0$  values (cm)



# Sensitivity of Instantaneous Evaporation to Midday Analytical Ratios

- Evaporation relatively more sensitive to increases in  $L\uparrow$ 
  - 17% increase in  $L\uparrow$  results in  $\approx 10\%$  reduction in evaporation; similar reduction requires 50% increase in albedo
  - Evaporation increases by 10% for  $\approx 300\%$  increase in roughness



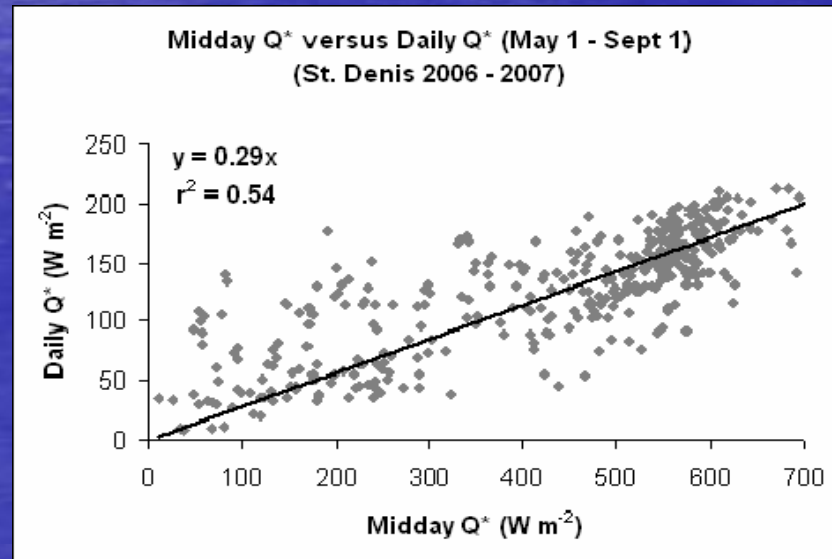
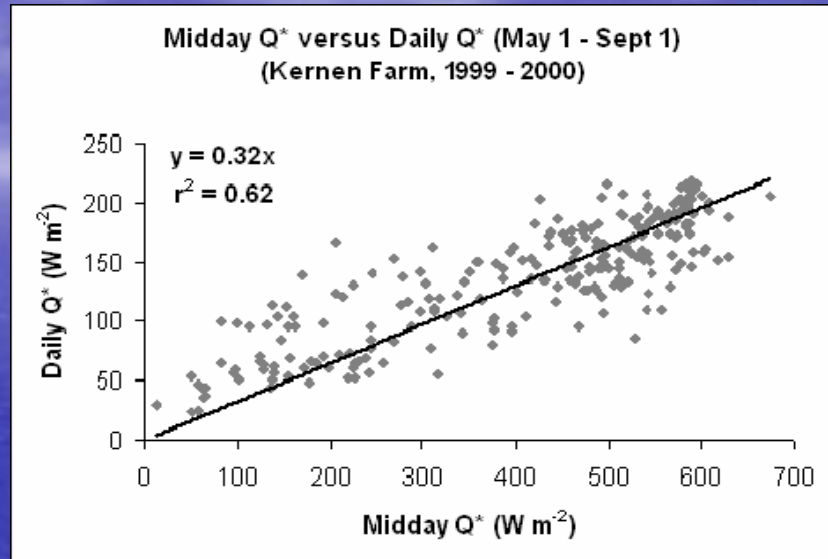
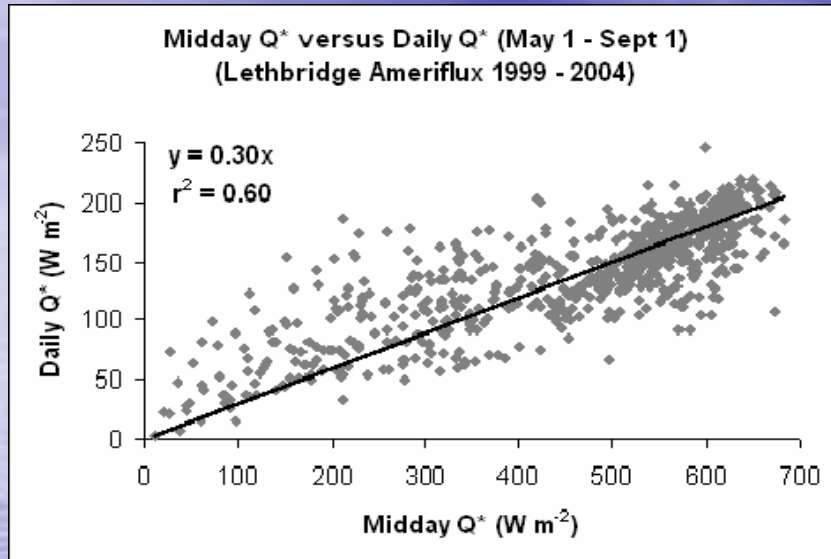
# Distributing Daily Evaporation Estimates “Temporal Transfer Function”

- To convert instantaneous net radiation to daily net radiation. Tested using reference values.

$$R_R = Q^*_i / Q^*_{iref}$$

- Assumes a linear relationship between  $Q^*_i$  and  $Q^*_d$  with zero intercept
- Permits estimation of daily,  $Q^*_d$  distributed over space from a reference  $Q^*_d$  value and the radiation ratio

# Daily Q\* versus Midday Q\*



# Distributed Daily Radiation Map

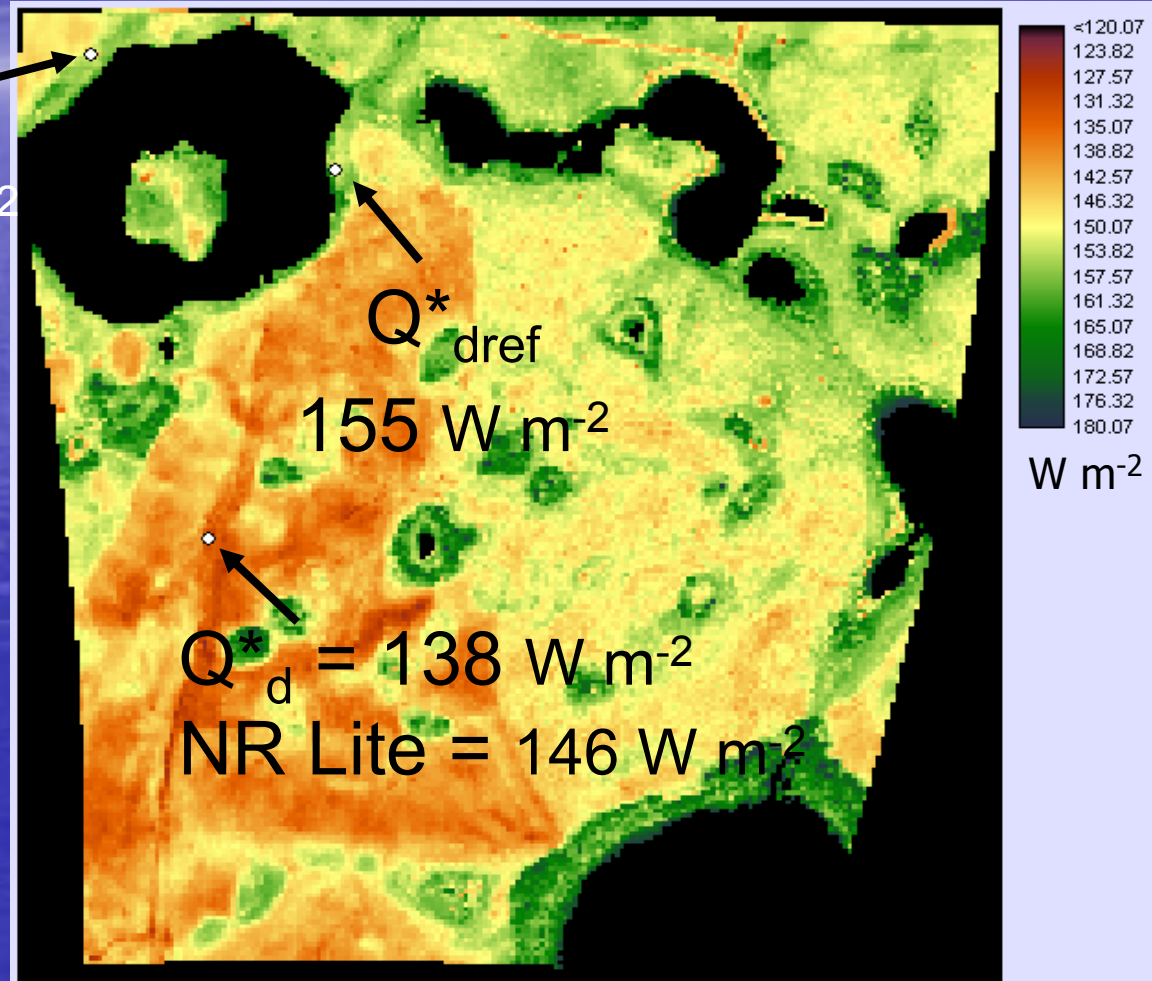
- $Q_d^*$  is a function of the radiation ratio,  $R_R$  and reference value  $Q_{d\_ref}^*$

$$Q_d^* = 152 \text{ W m}^{-2}$$
$$\text{CNR1} = 144 \text{ W m}^{-2}$$

$Q_d^*$  estimated

$$Q_d^* = R_R \cdot Q_{dref}^*$$

$\sim 5\%$  error



# Distributed Daily Evaporation Map

- G-D model (same as in Cold Regions Hydrological Model)

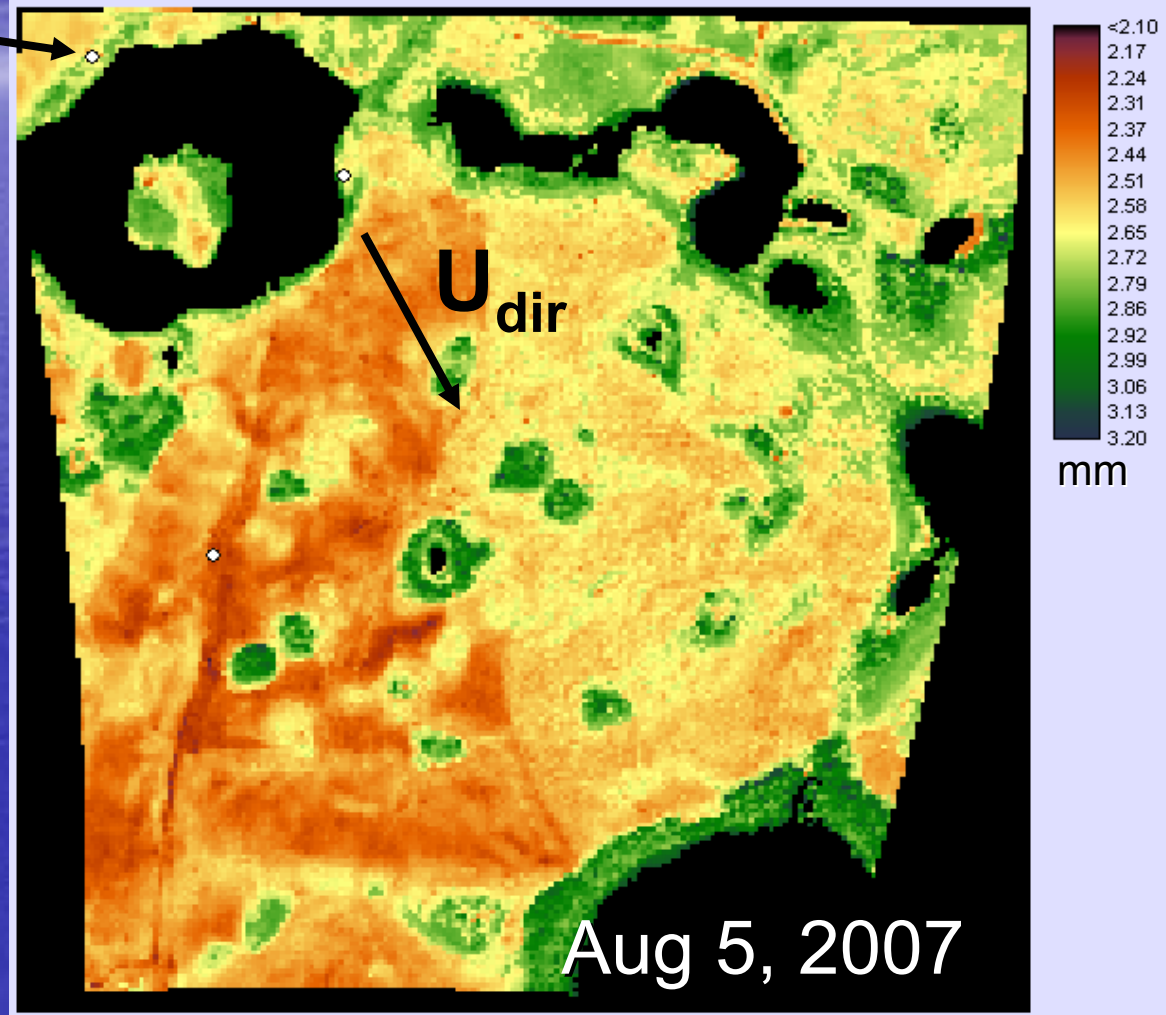
Validation site

Eddy Cov

$E = 2.2 \text{ mm}$

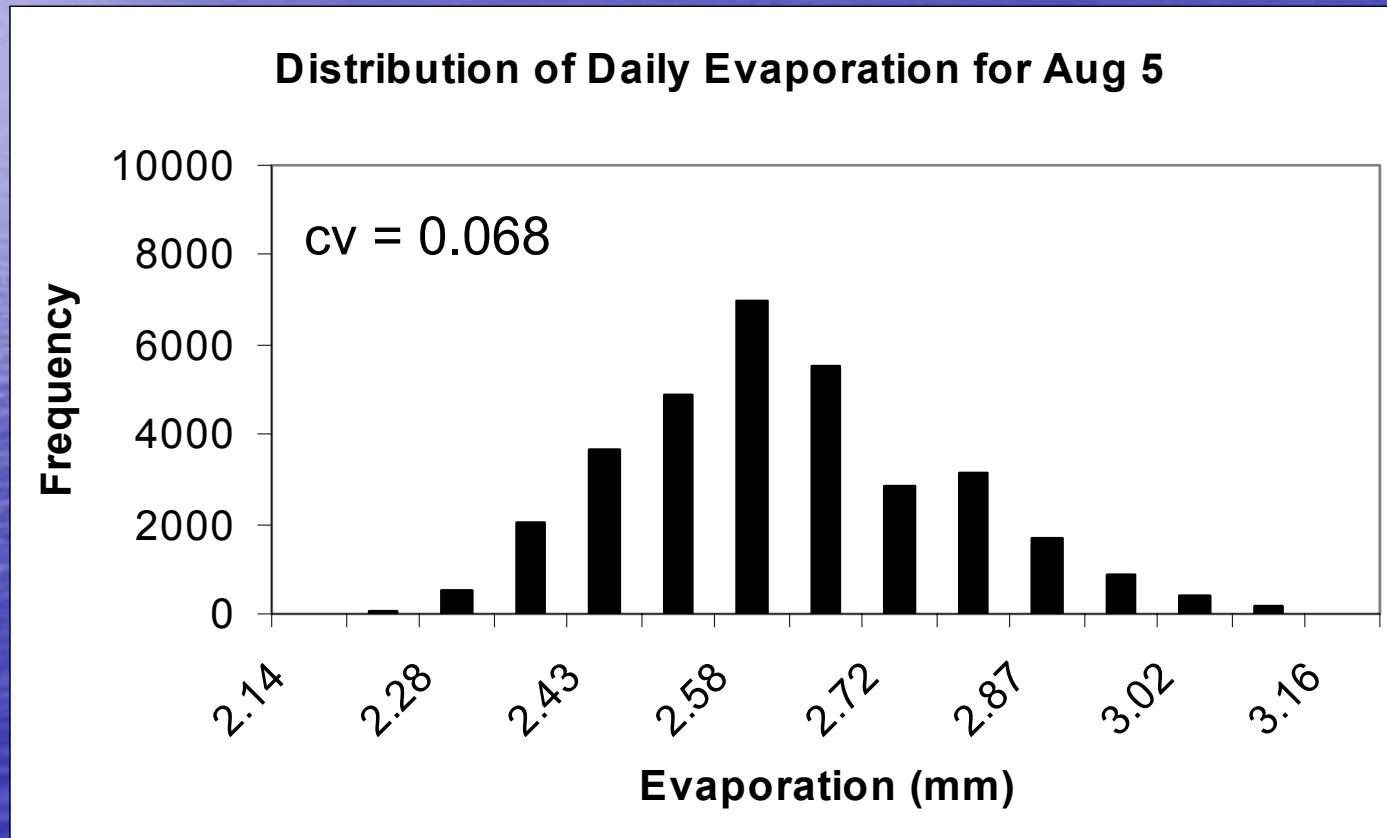
Granger-Gray

$E \approx 2.6 \text{ mm}$



# Distribution of Daily Evaporation

- Mean for all land surface grid cells = 2.6 mm
  - Evaporation from means for all input values = 2.57 mm



# Summary and Conclusions

- Distributed daily evaporation estimates may be obtained for large areas using an evaporation ratio approach
  - Demonstrated for a relatively complex Prairie landscape
  - Possible to distribute daily evaporation from known values at a reference location and a radiation ratio
  - Estimated daily net radiation within 5% of measured values at two validation sites
  - G-D daily evaporation estimate 0.4 mm higher than measured value (Eddy Covariance)



# Summary and Conclusions

- Remotely sensed imagery provides key variables for modelling applications
  - Directly calculate surface emitted longwave, reflected shortwave, aerodynamic function; key variables for calculating evaporation
  - Potential for improving estimates of regional scale evaporation using remote sensing