Upscaling Strategies for Integrated Modeling in IP3

by E.D. Soulis and F.R. Seglenieks

University of Waterloo Department of Civil Engineering

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Outline

- Introduction
- MESH release
- MESH comparison with CRHM
- A few results from Scotty Creek

Mississippi Floods 1993



Model Hierarchy



Resolution

Model Comparison

- All models are distributed
- All models are physically based
- Resolutions overlap
- Major difference is the application domain
 (Basin, Regional, Global)
- Bookkeeping skill determines the domain

How To Extend Domain

- 1) Use generic algorithms
- CRHM typically treats HRUs individually
- MESH/GEM groups representative HRUs

InterHRU Transfers



Proposed Diversion Strategy

can have one receiving class and two source classes
transfer is based on the square-root of the ratio of the area of the receiving land class divided by that of the source land class

Grid element with tile diversion



How To Extend Domain

- 2) Use distribution based algorithms
 sum fluxes by area
 - or use pdfs of important properties





Site Distribution of Peat Plateaus



3) Embed More Physics in the Tile Algorithms



Class Landscape Unit (footprint) ← WATDRAIN (lateral processes) WATFLOOD (routing)

MAGS Tile

Surface Runoff: Manning's Equation

$$Q_{over} = \left(\frac{1}{n}\right) \cdot d_e^{5/3} \cdot \Lambda_I^{1/2} \cdot L$$

Infiltration redistribution interflow: Richard's Equation

$$-\frac{\partial K_{\nu}(\theta)}{\partial z} + \frac{\partial}{\partial z} \left[K_{\nu}(\theta) \frac{\partial \psi(\theta)}{\partial z} \right] = \frac{\partial \theta}{\partial t}$$

Drainage or Recharge: Darcy's Law

$$q_{drain} = K_{\rm v}(\theta_3)$$





$$\Psi = (1 - f) \cdot \left[\overline{\Psi} + \sqrt{\frac{(\Psi - \Psi_0)^2}{4} + K}\right]$$
$$+ f \cdot \left[\overline{\Psi} + \sqrt{\frac{(\Psi - \Psi_1)^2}{4} + K}\right]$$

Where Ψ_0 and Ψ_1 are the end state suctions and f and κ are functions of distance, x and time, t.

Richard's Equation

$$\frac{\partial \theta}{\partial t} = \frac{\partial}{\partial z} \left[K(\psi) \left(\frac{\partial \psi}{\partial z} + 1 \right) \right]$$

where

K is the hydraulic conductivity, ψ is the pressure head, z is the elevation above a vertical datum, θ is the water content, and t is time

Drying Curves

SAND AND LOAM



400

Meso/Micro Model Comparison



Recession Curves Comparison



Red line is a typical gravity dominated curve. Green line is the corresponding suction dominated solution. WATDrainV2 uses an empirical blend of these. WATDrainV3 will use Equation (1) which is the blue line in Figure 3.

4) Some General Rules

- Do everything we can to minimize number of HRUs
- 2-4 HRUs per grid
- Modelling Scale 1/10th of target domain

